

# Introduction to $^{40}\text{Ar}/^{39}\text{Ar}$ geochronology and thermochronology

Dr Clare Warren

Helsinki,  
24<sup>th</sup> October 2017



The Open  
University

# Learning Outcomes

- You will have an understanding of:
  - K-Ar decay
  - The difference between K-Ar and  $^{40}\text{Ar}/^{39}\text{Ar}$
  - The age equation
  - How data are collected
  - Sources of error
- You will be able to:
  - Manipulate the age equation
  - Calculate K-Ar ages
  - Calculate J values
  - Calculate  $^{40}\text{Ar}/^{39}\text{Ar}$  ages
  - Plot  $^{40}\text{Ar}/^{39}\text{Ar}$  data

# Isotopes of natural Argon

- $^{36}\text{Ar} = 0.3364 \pm 0.0006 \%$
- $^{38}\text{Ar} = 0.0632 \pm 0.0001 \%$
- $^{40}\text{Ar} = 99.600 \%$

Atmosphere is  $\sim 1\%$  Ar

Atmospheric  $^{40}\text{Ar}/^{36}\text{Ar}$  ratio is  $\sim 298.56 \pm 0.31$

*Lee et al., 2006*

# Isotopes of natural Potassium

- $^{39}\text{K}$  (stable; 93.2581%)
- $^{40}\text{K}$  (radioactive; 0.0117%)
- $^{41}\text{K}$  (stable; 6.7302%)

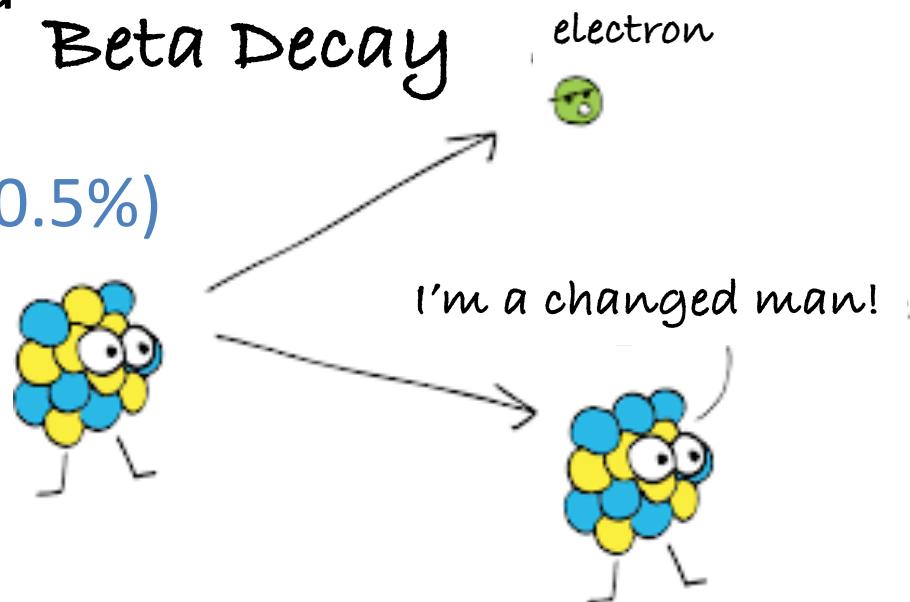
# The Decay

- ${}^{40}\text{K}$  half life  $1.248 \times 10^9$  a

- ${}^{40}\text{Ca}$  ( $\beta$  decay, 89.5%)

- ${}^{40}\text{Ar}$  (electron capture, 10.5%)

Beta Decay



- Only ~0.011% of K consists of  $^{40}\text{K}$ , and
- only ~10% of  $^{40}\text{K}$  decays to  $^{40}\text{Ar}$

BUT

- K is a major element in numerous rock-forming minerals
- So there is plenty  $^{40}\text{Ar}$  to measure

# Radiogenic $^{40}\text{Ar}$ ( $^{40}\text{Ar}^*$ )

The amount of  $^{40}\text{Ar}$  is proportional to:

- The K concentration
- Time (Age)
- Also have  $^{40}\text{Ar}$  in atmosphere
  - Correct using  $^{36}\text{Ar}$
  - Atmospheric  $^{40}\text{Ar}/^{36}\text{Ar} = \textcolor{red}{298.36 \pm 0.31}$   
*(Lee et al., 2006)*
- $^{40}\text{Ar}^* = ^{40}\text{Ar}_{\text{total}} - ^{40}\text{Ar}_{\text{atm}} - ^{40}\text{Ar}_{\text{initial}}$

# Radiogenic $^{40}\text{Ar}$

The amount of  $^{40}\text{Ar}$  is proportional to:

- The K concentration
- Time (Age)

$$^{40}\text{Ar}^* = 0.1048 \ ^{40}\text{K} (e^{\lambda t} - 1)$$

Branching ratio as  $^{40}\text{K}$  decays to  $^{40}\text{Ca}$  (89.5%)  
and  $^{40}\text{Ar}$  (10.5%)

$$\lambda = 5.543 \times 10^{-10} \text{ a}^{-1}$$

\* = radiogenic  
t = time

So let's rearrange for t

$$^{40}\text{Ar}^* = 0.1048 \ ^{40}\text{K} (e^{\lambda t} - 1)$$

activity  
**TIME**

# Let's rearrange for t

$$^{40}\text{Ar}^* = 0.1048 \ ^{40}\text{K} (e^{\lambda t} - 1)$$

$$t = \frac{\ln [ (^{40}\text{Ar}/0.1048 \ ^{40}\text{K}) + 1 ]}{\lambda}$$

→ the unknowns are  $^{40}\text{K}$  and  $^{40}\text{Ar}$

→ What is  $1/\lambda$  in Ma?  $\lambda=5.543 \times 10^{-10} \text{ a}^{-1}$

# Let's rearrange for t

$$^{40}\text{Ar}^* = 0.1048 \ ^{40}\text{K} (e^{\lambda t} - 1)$$

$$t = \frac{\ln [ (^{40}\text{Ar}/0.1048 \ ^{40}\text{K}) + 1 ]}{\lambda}$$

- the unknowns are  $^{40}\text{K}$  and  $^{40}\text{Ar}$
- What is  $1/\lambda$  in Ma?
- 1804.077

# Requirements for a K-Ar age

- Constant decay constants
- Sample  $^{40}\text{Ar}$  is either all radiogenic OR non-radiogenic  $^{40}\text{Ar}$  can be corrected
- Closed system

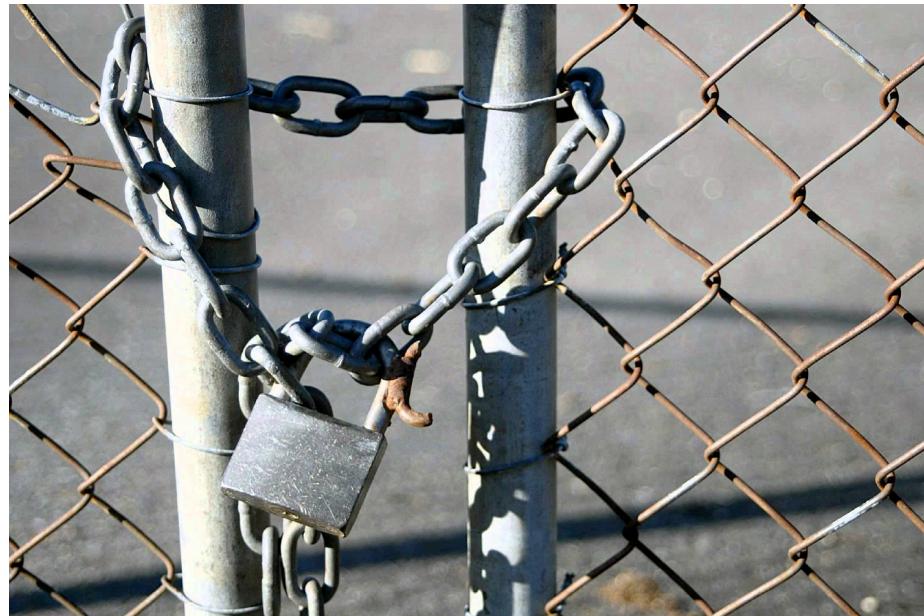


Image: YouTube.com

# So let's calculate!

activity  
**TIME**



McDougall 1964



$$t = 1804.077 \ln [ ({}^{40}\text{Ar}/0.1048\text{ }{}^{40}\text{K}) + 1 ]$$

Image: state-maps.org

# What is the age range for each island?

Island	$^{40}\text{Ar}/^{40}\text{K}$ max	$^{40}\text{Ar}/^{40}\text{K}$ min	Age in Ma?
Kauai	$3.34 \times 10^{-4}$	$2.22 \times 10^{-4}$	
W Oahu	$2.14 \times 10^{-4}$	$1.60 \times 10^{-4}$	
East Oahu	$1.50 \times 10^{-4}$	$1.30 \times 10^{-4}$	
W Molokai	$1.08 \times 10^{-4}$	--	
E Molokai	$8.81 \times 10^{-5}$	$7.74 \times 10^{-5}$	
W Maui	$7.68 \times 10^{-5}$	$6.77 \times 10^{-5}$	
E Maui	$4.86 \times 10^{-5}$	--	

$$t = 1804.077 \ln [ ({}^{40}\text{Ar}/0.1048\, {}^{40}\text{K}) + 1 ]$$

# What have you found?

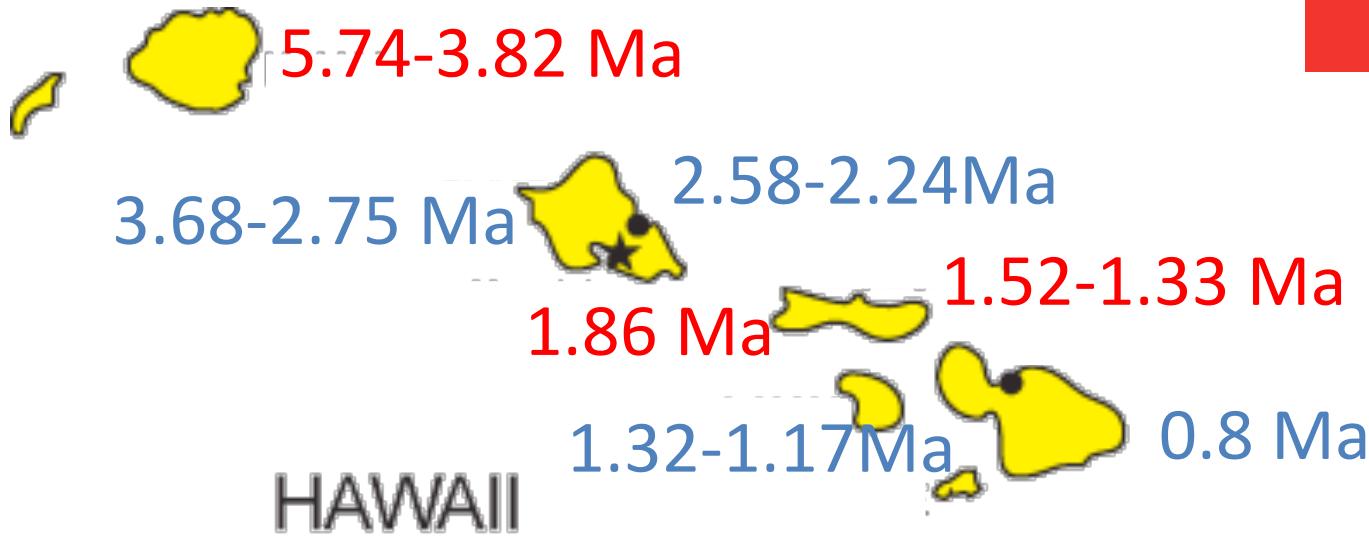
activity  
**TIME**



Image: state-maps.org

# What have you found?

activity  
**TIME**



## Implications?

Present-day  
eruptions



McDougall 1964

Image: state-maps.org

# K-Ar vs Ar/Ar

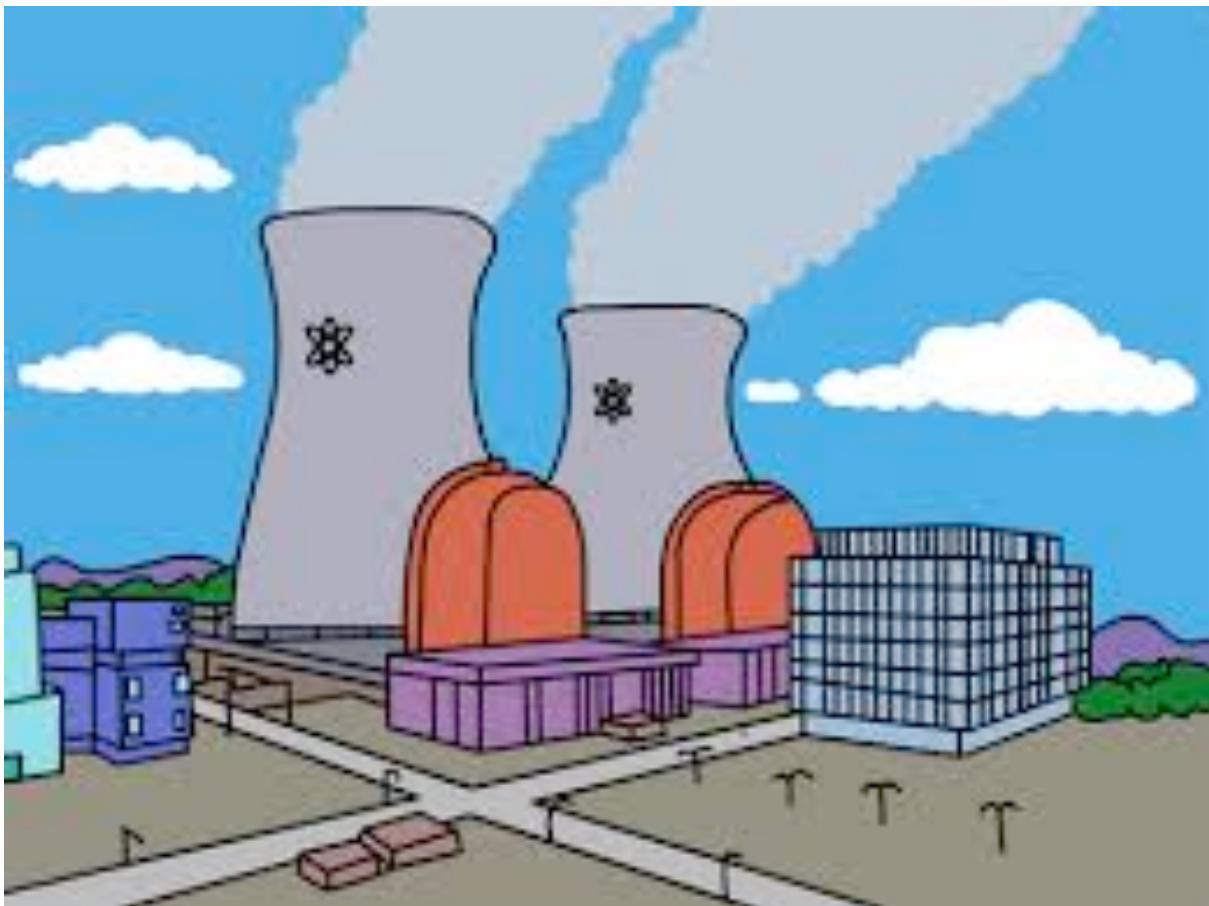


Image: Wikipedia



Image: istockphoto.com

# Irradiation



$^{39}\text{K} \rightarrow ^{39}\text{Ar}$   
by neutron  
bombardment

93.26% of all K is  
 $^{39}\text{K}$

We can then just  
measure  $^{40}\text{Ar}$  and  
 $^{39}\text{Ar}$  instead of  
 $^{40}\text{Ar}$  and  $^{40}\text{K}$

Image from The Simpsons

# Relationship between $^{39}\text{Ar} \rightarrow ^{40}\text{K}$ ?

- Every  $^{39}\text{Ar}$  forms from a  $^{39}\text{K}$
- $^{39}\text{K}$  (stable; 93.2581%)
- $^{40}\text{K}$  (radioactive; 0.0117%)
- For every  $^{39}\text{K}$  atoms how many  $^{40}\text{K}$ ?

activity  
**TIME**

# Relationship between $^{39}\text{Ar} \rightarrow ^{40}\text{K}$ ?

- Every  $^{39}\text{Ar}$  forms from a  $^{39}\text{K}$
- $^{39}\text{K}$  (stable; 93.2581%)
- $^{40}\text{K}$  (radioactive; 0.0117%)
- For every  $^{39}\text{K}$  atoms, how many  $^{40}\text{K}$ ?
  - 0.0001255

# Other irradiation products



For the 10 MW reactor (LVR-15) in  
Řež (Czech Republic):

$$(^{36}\text{Ar}/^{37}\text{Ar})_{\text{Ca}} \sim 0.000227$$

$$(^{39}\text{Ar}/^{37}\text{Ar})_{\text{Ca}} \sim 0.000602$$

$$(^{40}\text{Ar}/^{39}\text{Ar})_{\text{K}} \sim 0.00183$$

*(slightly variable for different reactor  
types and irradiation positions within  
the reactor)*



$$t = \frac{\ln [ ({}^{40}\text{Ar}/0.1048\, {}^{40}\text{K}) + 1 ]}{\lambda}$$

$$t = \frac{\ln [ J\,({}^{40}\text{Ar}^*/{}^{39}\text{Ar}) + 1 ]}{\lambda}$$

J includes: abundances of K isotopes  
branching ratio  
irradiation dose

# Standard of known age

Biotite: GA 1550; ~79 Ma



© geology.com

Hornblende Hb3gr; ~1074 Ma



Image: e-rocks.com

Fish Canyon Sanidine, ~28 Ma



These are irradiated with the samples of unknown age

Image: Pitt.edu

# Irradiation factor (J values)

$$J = e^{(t/1804.077)} - 1$$

R

$$\text{Where } R \text{ (ratio)} = \frac{{}^{40}\text{Ar}_{(\text{atm corr})}}{{}^{39}\text{Ar}}$$

And t = age of standard (Ma)

# How do we date a rock or mineral?

- Pick rock fragments or minerals
- Load with standards
- Irradiate
- Load into mass spec
- Heat/melt/ablate
- Measure  $^{36}\text{Ar}$ ,  $^{37}\text{Ar}$ ,  $^{38}\text{Ar}$ ,  $^{39}\text{Ar}$ ,  $^{40}\text{Ar}$
- Calculate J value for each sample
- Calculate sample age



# Collecting data

- Step Heating
- Single Grain Fusion
- Laser Ablation
- Crushing

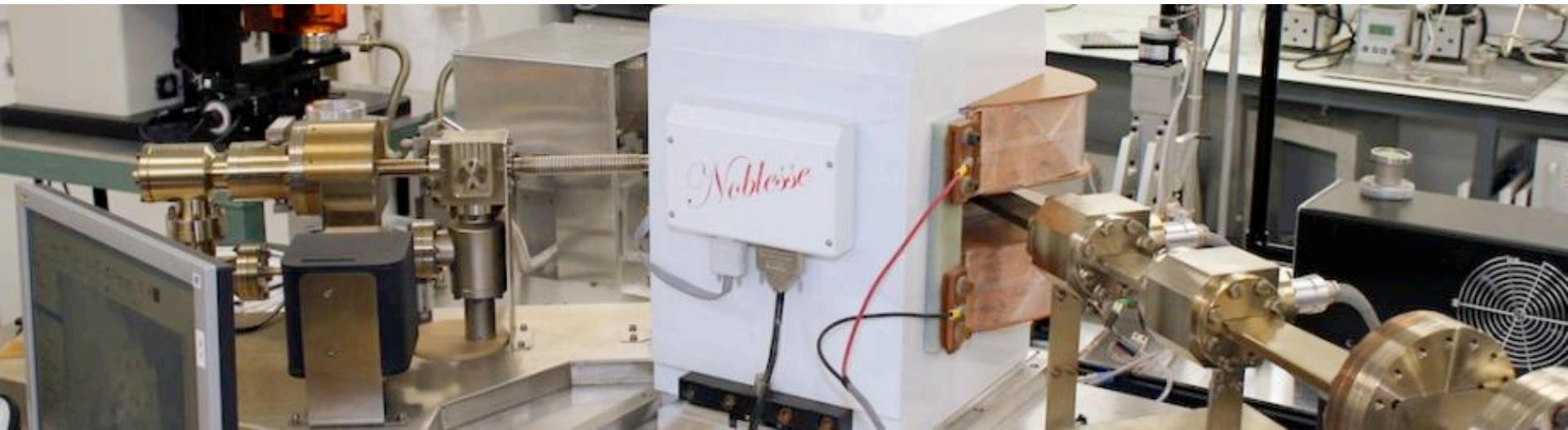
Image: Open.ac.uk



# Basically

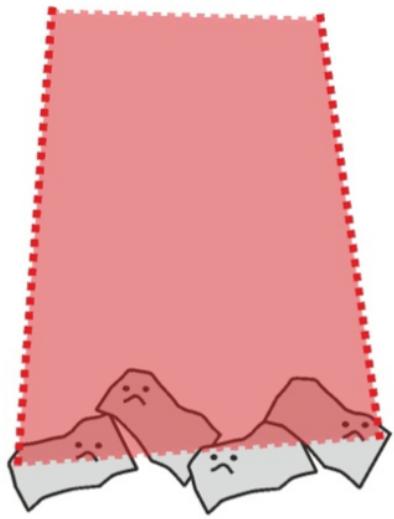
- Thermal or mechanical release of Ar from sample
- Cleaning gas to remove interferences
- Measurement

Image: Open.ac.uk

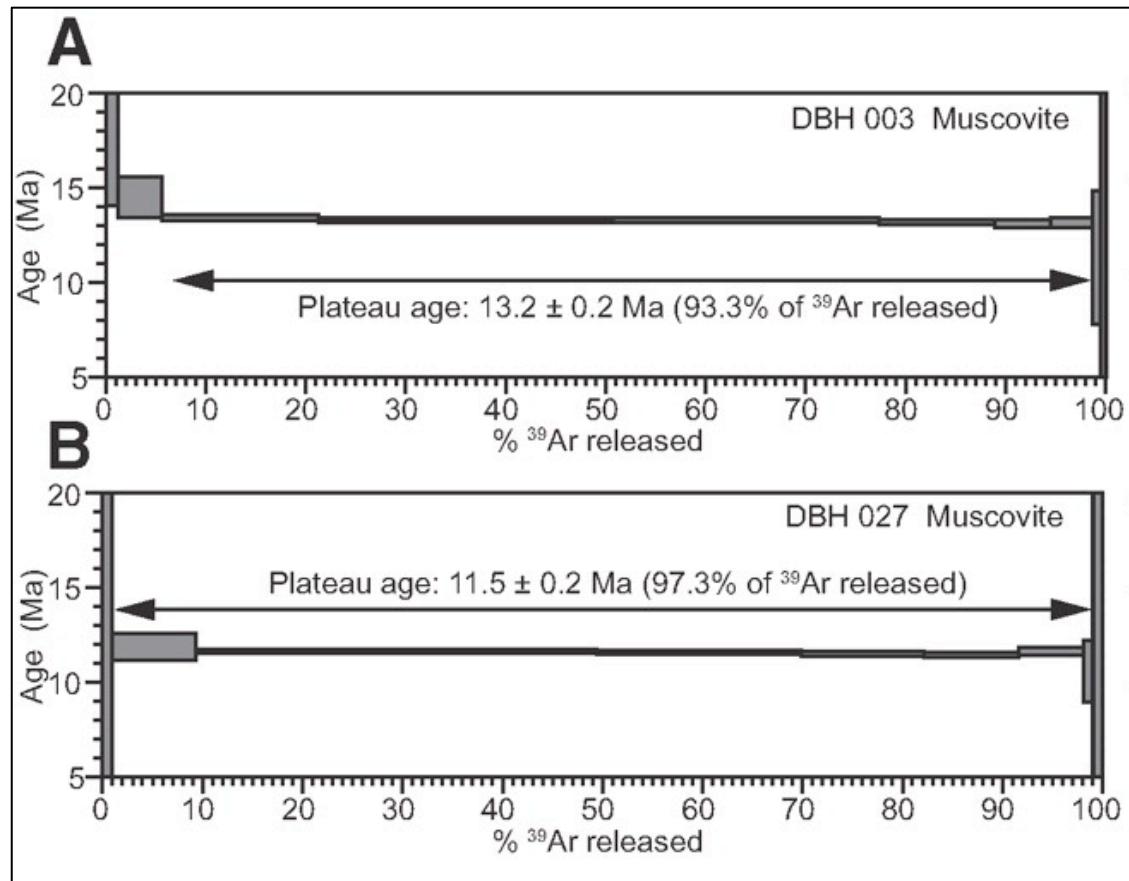


# Dating – step heating

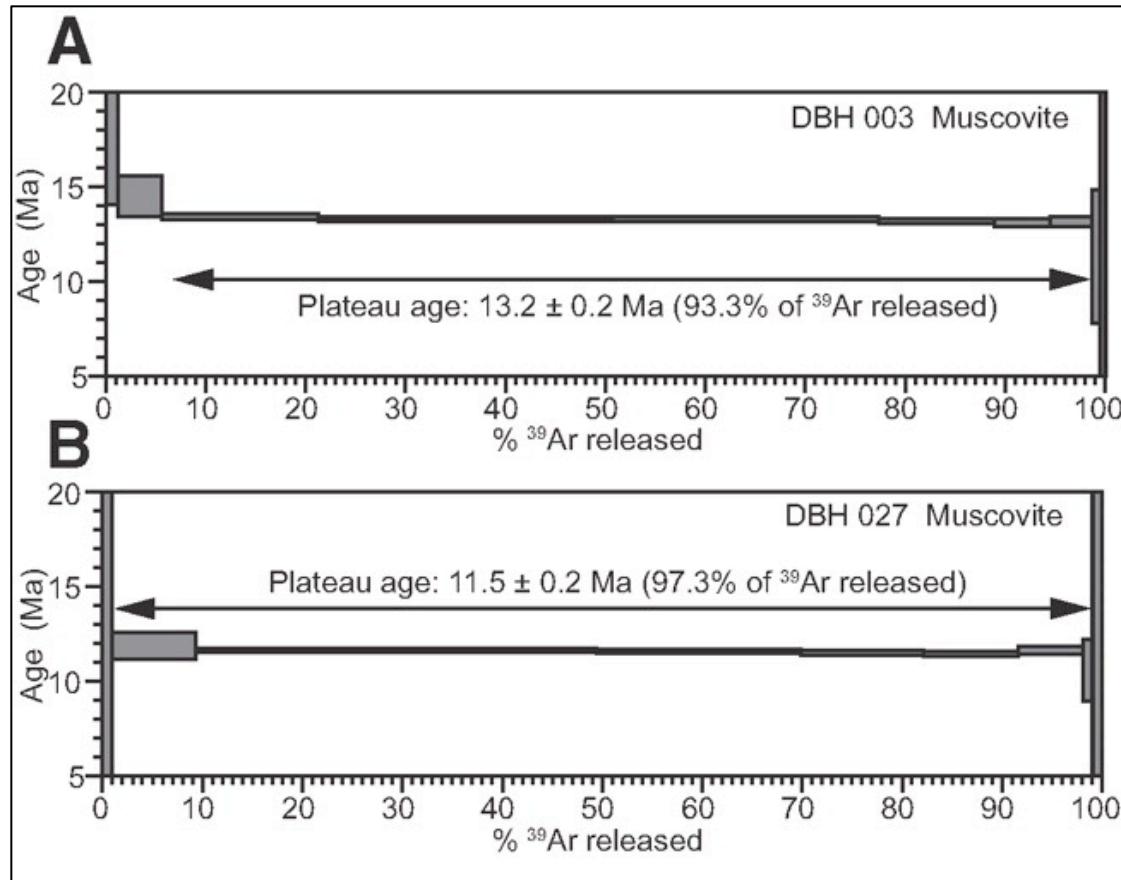
**Step heats**



Multi-grain;  
Single grain



# Plotting data: Step Heating

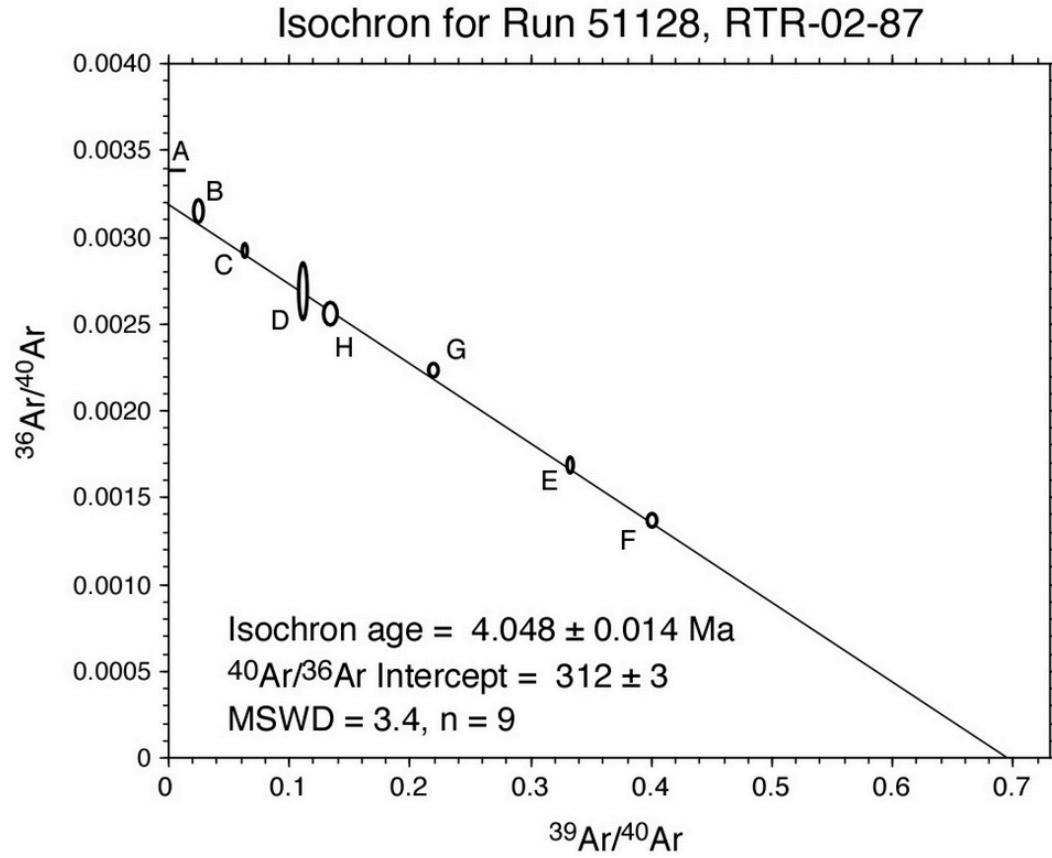


Age calculate for each temperature step

Plateau: Fleck et al (1977): 3 or more contiguous steps; > 50% released  $^{39}\text{Ar}_K$  + overlapping at  $2\sigma$

Fit calculated by MSWD

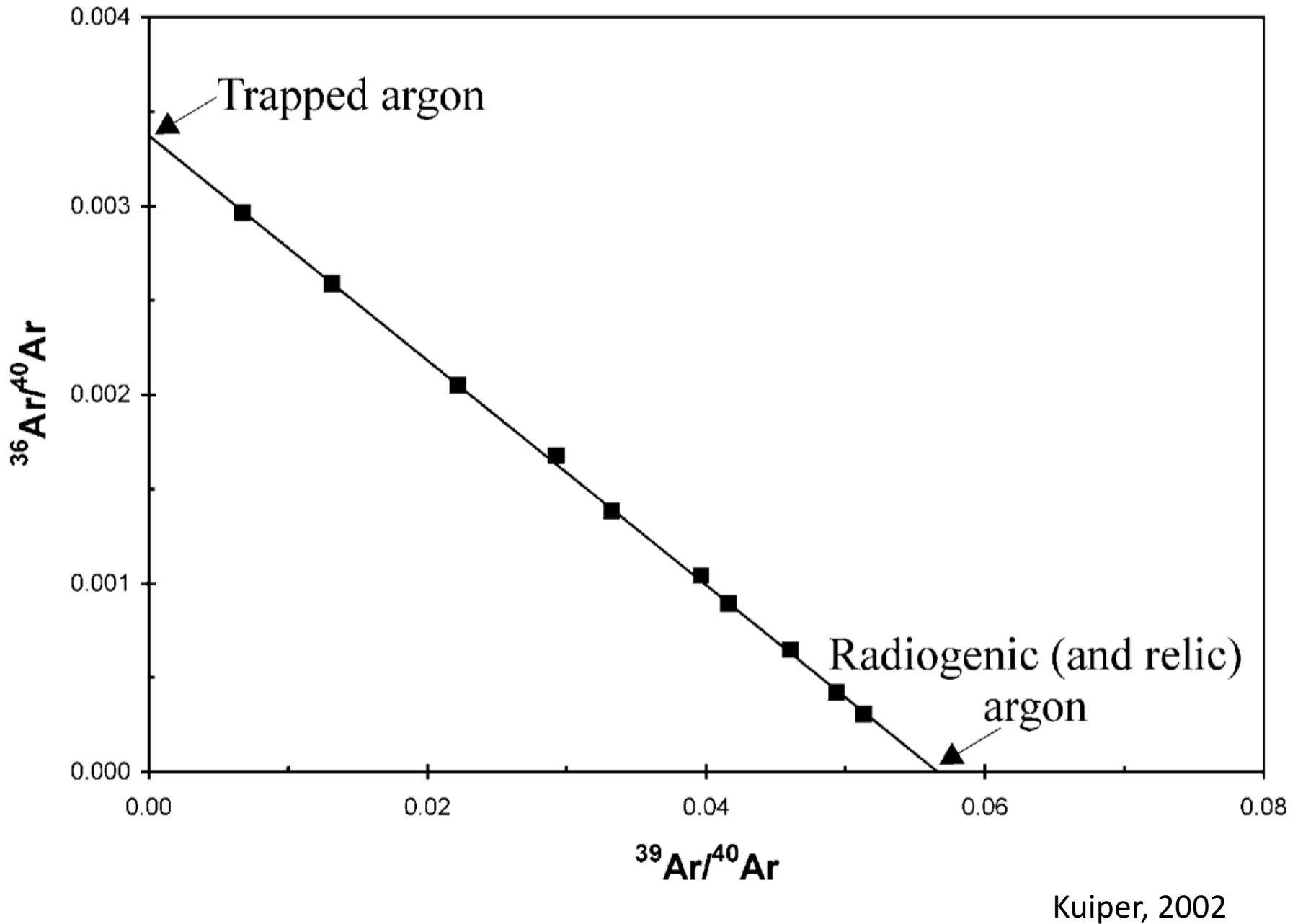
# Plotting data: Inverse Isochrons

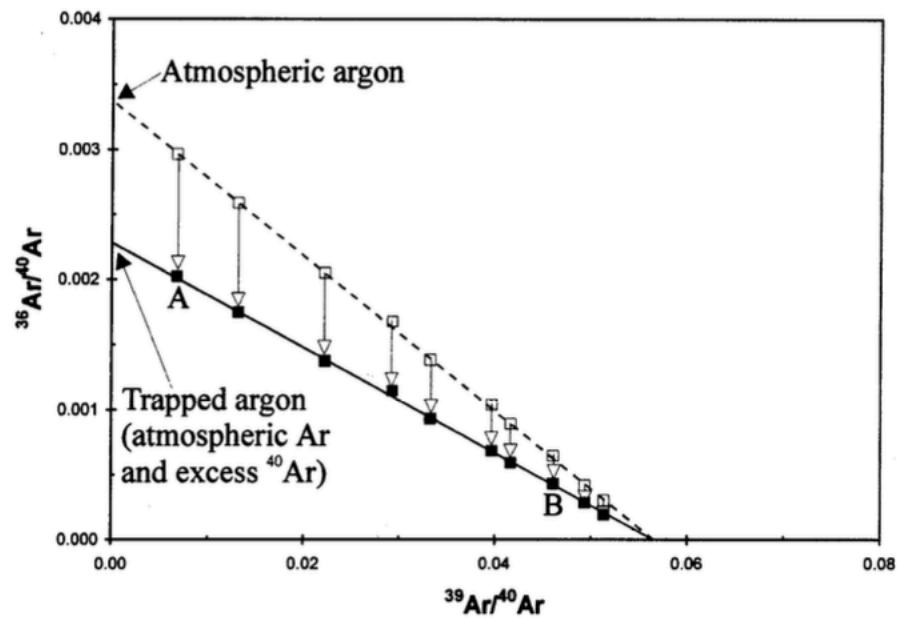
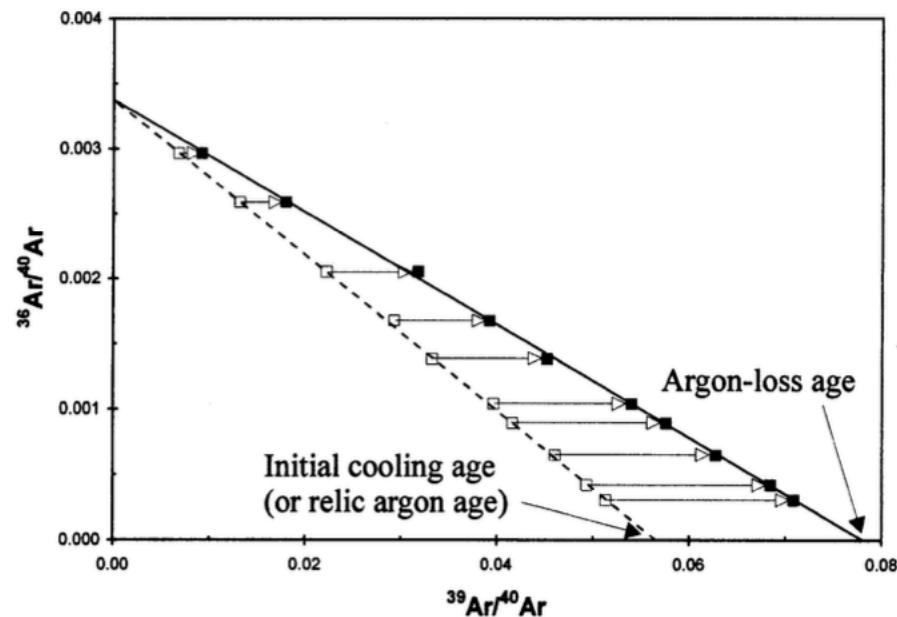


Assess Ar isotopic composition at each T step

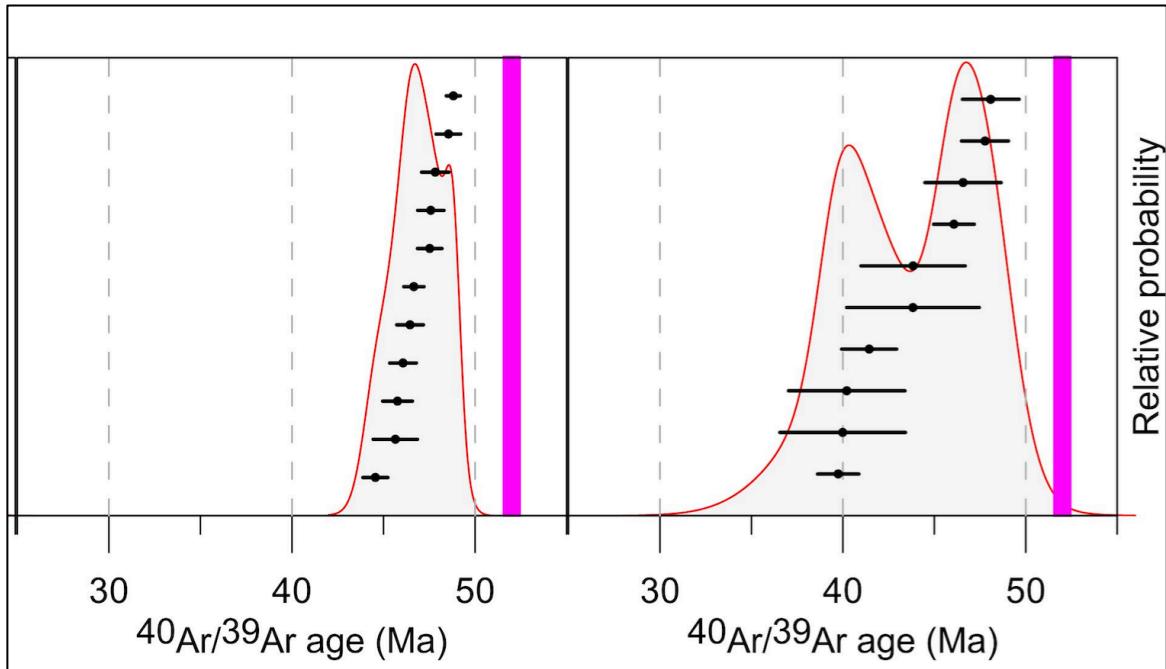
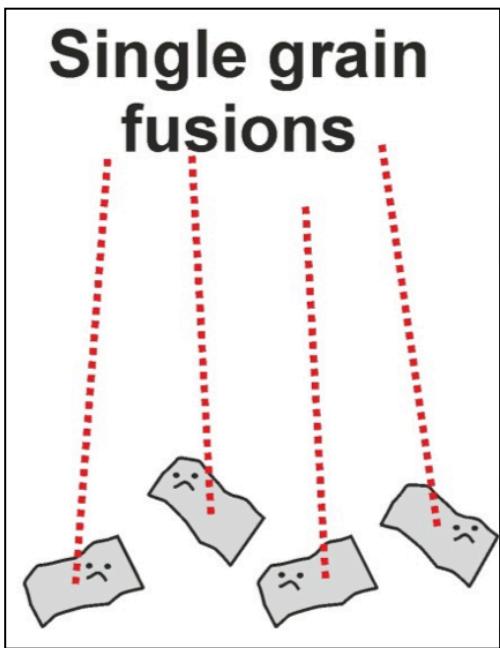
Trapped  $^{36}\text{Ar}/^{40}\text{Ar}$  value at y intercept

$^{39}\text{Ar}/^{40}\text{Ar}$  on x intercept



**A****B**

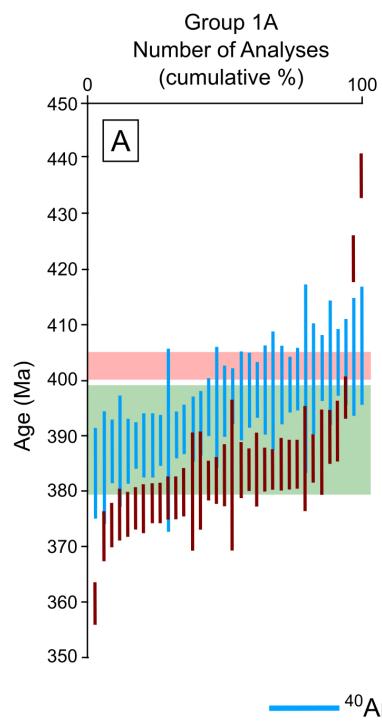
# Dating – single grain fusion



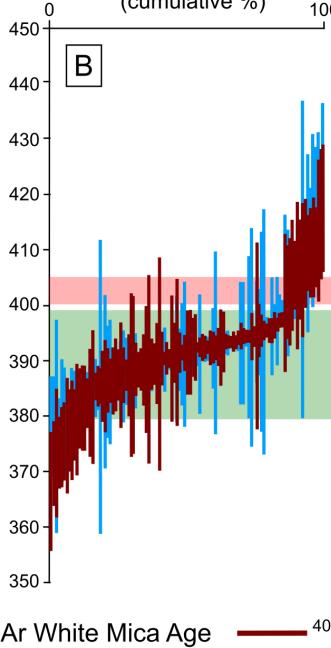
Single grain

# Plotting data: single grain fusions

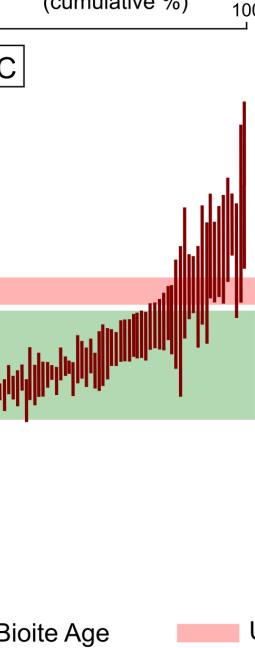
Group 1 Gneisses



Group 1B  
Number of Analyses (cumulative %) 100

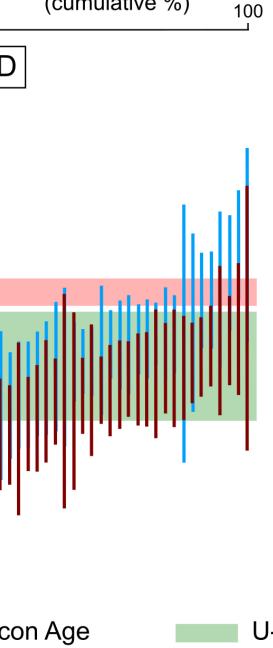


Group 1C  
Number of Analyses (cumulative %) 100

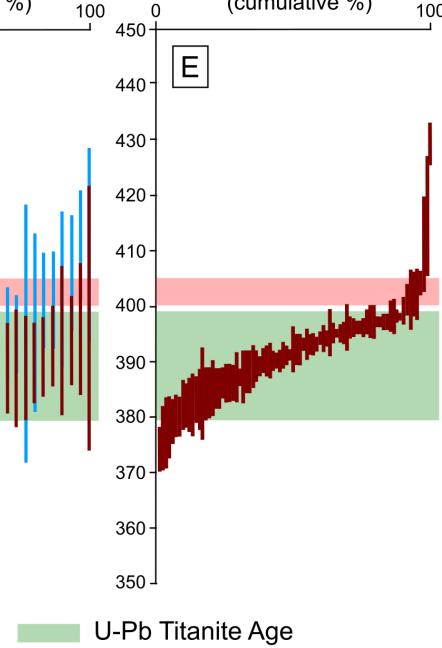


Group 2 Gneisses

Group 2A  
Number of Analyses (cumulative %) 100

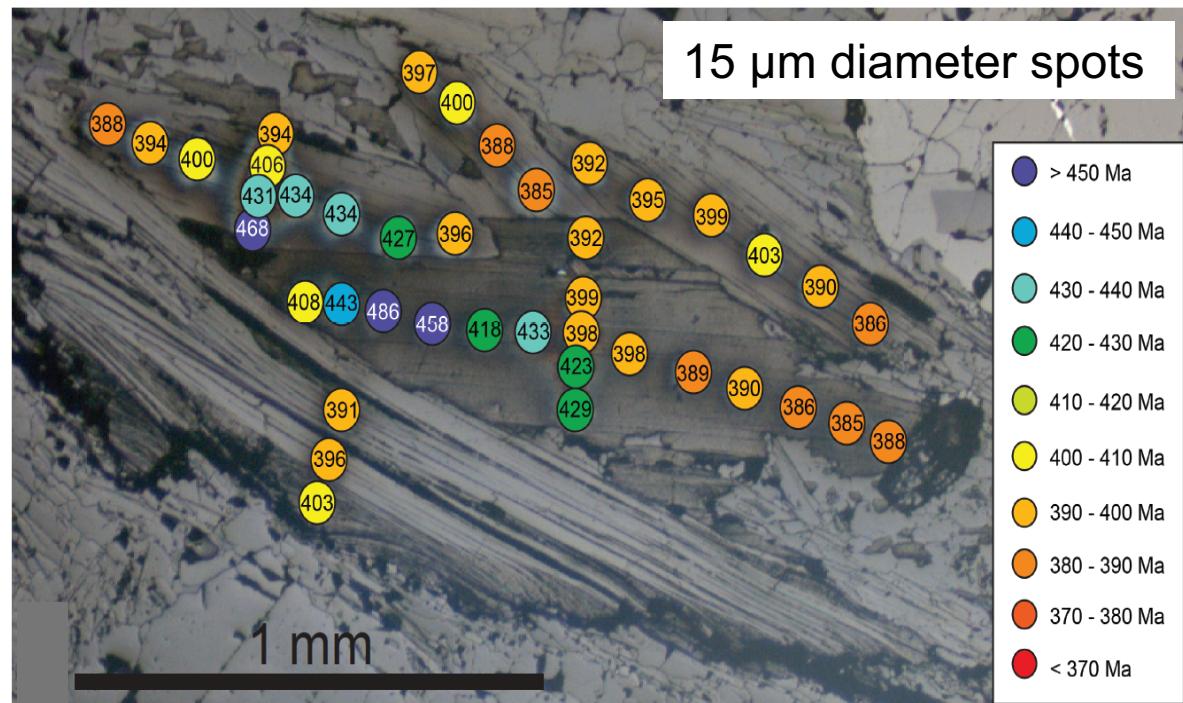
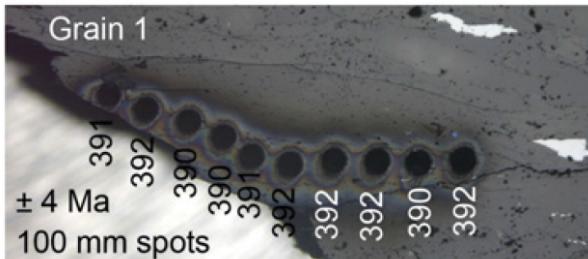


Group 2B  
Number of Analyses (cumulative %) 100



# Dating – laser ablation

## Laser probe



Single spot

# Minerals commonly dated with $^{40}\text{Ar}/^{39}\text{Ar}$

Formula	Mineral
$\text{KAl}_3\text{Si}_3\text{O}_{10}(\text{OH})_2$	
$\text{K}(\text{Mg},\text{Fe})_3\text{AlSi}_3\text{O}_{10}(\text{F},\text{OH})_2$	
$(\text{K},\text{Na})_{0-1}(\text{Ca},\text{Na},\text{Fe},\text{Mg})_2(\text{Mg},\text{Fe},\text{Al})_5(\text{Al},\text{Si})_8\text{O}_{22}(\text{OH})_2$	
$\text{KAlSi}_3\text{O}_8$	
$(\text{K},\text{Na})\text{AlSi}_3\text{O}_8 - \text{CaAl}_2\text{Si}_2\text{O}_8$	
$(\text{K},\text{H}_3\text{O})(\text{Al},\text{Mg},\text{Fe})_2(\text{Si},\text{Al})_4\text{O}_{10}[(\text{OH})_2,(\text{H}_2\text{O})]$	

activity  
**TIME**

# Minerals commonly dated with $^{40}\text{Ar}/^{39}\text{Ar}$

Formula	Mineral
$\text{KAl}_3\text{Si}_3\text{O}_{10}(\text{OH})_2$	Muscovite
$\text{K}(\text{Mg},\text{Fe})_3\text{AlSi}_3\text{O}_{10}(\text{F},\text{OH})_2$	Biotite
$(\text{K},\text{Na})_{0-1}(\text{Ca},\text{Na},\text{Fe},\text{Mg})_2(\text{Mg},\text{Fe},\text{Al})_5(\text{Al},\text{Si})_8\text{O}_{22}(\text{OH})_2$	Hornblende
$\text{KAlSi}_3\text{O}_8$	K-feldspar
$(\text{K},\text{Na})\text{AlSi}_3\text{O}_8 - \text{CaAl}_2\text{Si}_2\text{O}_8$	Plagioclase
$(\text{K},\text{H}_3\text{O})(\text{Al},\text{Mg},\text{Fe})_2(\text{Si},\text{Al})_4\text{O}_{10}[(\text{OH})_2,(\text{H}_2\text{O})]$	Illite

# Minerals commonly dated with $^{40}\text{Ar}/^{39}\text{Ar}$

- Basalt
- Tuff
- Rhyolite
- Meteorites

Can date whole rocks as young as 1000 yrs (but difficult!)

# “Types” of Argon

- Atmospheric argon ( $\text{Ar}_{\text{atm}}$ ):  ${}^{40}\text{Ar}/{}^{36}\text{Ar} = 298.56$
- Radiogenic  ${}^{40}\text{Ar}$  ( ${}^{40}\text{Ar}^*$ ): from natural  ${}^{40}\text{K}$  decay
- Inherited/excess Ar (mixture of  $\text{Ar}_{\text{atm}}$  and  ${}^{40}\text{Ar}^*$ )
- Irradiation-induced argon (from neutron bombardment of K, Ca, Cl)

# Calculating the $^{40}\text{Ar}/^{39}\text{Ar}$ ratio

- $^{40}\text{Ar}$  needs correcting for instrument background (blank)
- And for atmospheric  $^{40}\text{Ar}$ :
  - $^{40}\text{Ar}^* = {}^{40}\text{Ar}_{\text{meas}} - (298.56 \times {}^{36}\text{Ar})$
- $^{39}\text{Ar}$  needs correcting for  $^{39}\text{Ar}$  produced in the reactor from Ca (minor correction, ignored here)

activity  
**TIME**

# Time to calculate some J values

$$J = \exp^{(\lambda t)} - 1$$

$$\overline{R}$$

$$R = {}^{40}\text{Ar}^*/{}^{39}\text{Ar}$$

Standard	t (Ma)	Ref	R	J?
GA 1550	99.738	Renne et al 2011	0.9361	
GA 1550	99.738	Renne et al 2011	0.6752	
FCT	29.305	Renne et al 2010	1.112	

activity  
**TIME**

# Time to calculate some J values

$$J = \frac{\exp^{(\lambda t)} - 1}{R}$$

$$R = {}^{40}\text{Ar}^*/{}^{39}\text{Ar}$$

Standard	t (Ma)	Ref	R	J?
GA 1550	97.938	Renne et al 2011	0.9361	0.06072
GA 1550	97.938	Renne et al 2011	0.6752	0.08418
FCT	29.305	Renne et al 2010	1.112	0.01472

# Let's calculate some ages

activity  
**TIME**

- Correct  $^{40}\text{Ar}$ ,  $^{39}\text{Ar}$  and  $^{36}\text{Ar}$  for background
- Correct  $^{40}\text{Ar}$  for atmosphere (278.56)
- Calculate  $^{40}\text{Ar}^*/^{39}\text{Ar}$
- Calculate age

$$t \text{ (Ma)} = 1804.077 \ln (1 + JR)$$

Where J = J value  
 $R = {^{40}\text{Ar}^*}/{^{39}\text{Ar}}$

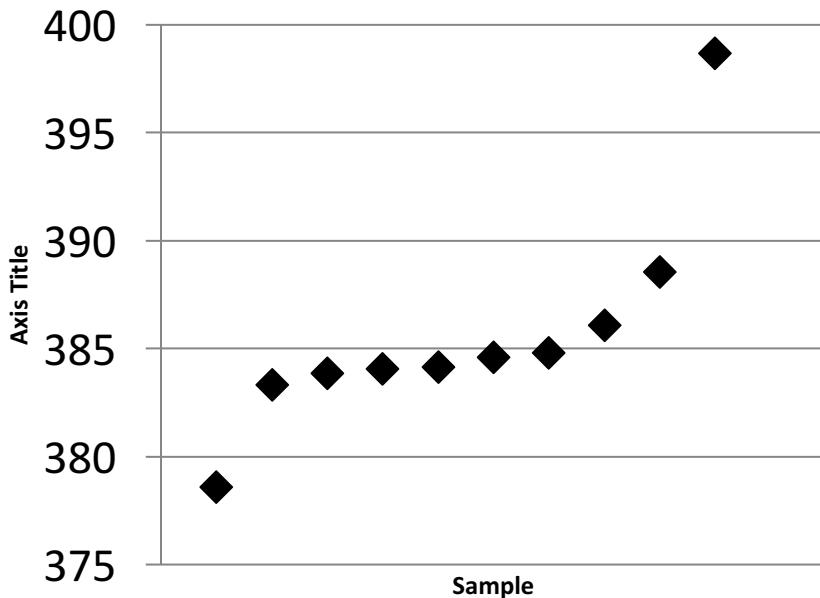
Grain	$^{40}\text{Ar}$	$^{39}\text{Ar}$	$^{36}\text{Ar}$
1	2.80241	0.10112	0.000069
2	1.64699	0.05999	0.000029
3	4.63017	0.17070	0.000009
4	1.16425	0.04235	0.000049
5	2.54924	0.09347	0.000019
6	1.29521	0.04536	0.000039
7	2.31139	0.08456	0.000049
8	5.03872	0.18459	0.000059
9	2.32016	0.08485	0.000059
10	7.54618	0.28182	0.000039
Blank	0.002958	0.000015	0.000012

$$J = 0.008733$$

Grain	Age (Ma)
1	388.6
2	386.1
3	383.3
4	384.1
5	384.8
6	398.7
7	384.2
8	384.6
9	383.8
10	378.6

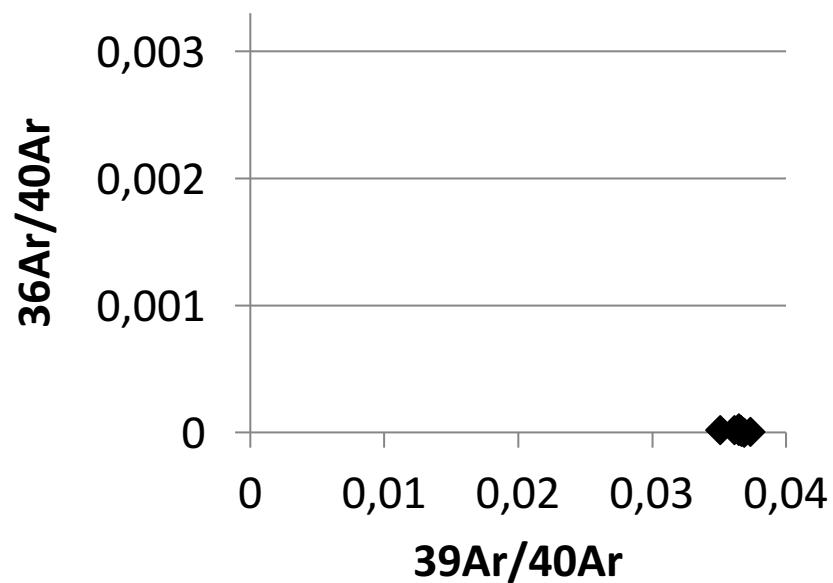
# Plot the results...

- As a plot of increasing age ( $y$ ) vs sample (add error bars; errors given in spreadsheet)
- As an inverse isochron plot ( $36/40$  on  $y$  vs  $39/40$  on  $x$ ), with the max on  $y$  being the  $36/40$  air ratio.



Most Ar is radiogenic –  
little atmospheric  
contamination

Generally a coherent  
population with 2  
outliers



# Discussion: sources of error

activity  
**TIME**

# Discussion: sources of error

activity  
**TIME**

- Age of standard
- Decay constants
- Irradiation product corrections
- J value
- Measurement uncertainties (blanks and measurements)

# Learning Outcomes

- You will have an understanding of:
  - K-Ar decay
  - The difference between K-Ar and  $^{40}\text{Ar}/^{39}\text{Ar}$
  - The age equation
  - How data are collected
  - Sources of error
- You will be able to:
  - Manipulate the age equation
  - Calculate K-Ar ages
  - Calculate J values
  - Calculate  $^{40}\text{Ar}/^{39}\text{Ar}$  ages
  - Plot  $^{40}\text{Ar}/^{39}\text{Ar}$  data

# Extra references

- <http://studylib.net/doc/18050406/ar-ar-geo--thermochronology>